Tsunamis in 3-D Bathymetry

CMS-0245206 & CMS-0324498 July 1, 2003 - June 30, 2006

> Joseph L. Hammack, Randall J. LeVeque Harry H. Yeh Koji Fujima,

Research Objectives

 To determine tsunami behaviors and characteristics in a three-dimensional nearshore bathymetry

- Water-wave refraction
- Diffraction
- Reflection
- Focusing -- Defocusing

The 1998 Papua New Guinea Tsunami



(Matsuyama & Yeh, 2003)



Research Plan

- Obliquely incident tsunamis onto a beach;
 Edge Bores Group Meeting in Oct. 2003
- Tsunamis incident onto a sinusoidal shoreline;
- Tsunami interactions with conical and elliptical shaped mounds;
- Obliquely interacting tsunamis arising from reflections and diffraction.
- Collaboration with Focused Research Groups (FRG) in the Mathematical Sciences (DMS-NSF)

Laboratory Apparatus

- The laboratory apparatus is a 1/8th scale model of the large tsunami basin at Oregon State University
- Unlike the NEES basin, the small basin will be elevated so that the bottom floor is located about 1m above the laboratory floor, and it will have a glass bottom and sidewalls.
- A precise XY-traversing system on the sidewall frames will enable in-situ wave-gage calibrations and measurements in a traveling frame of reference over the wave field.
- The model facility will play a complementary role in the NEES related research activities





Tsunamis Scour

CMS - 9978399

Susan Tonkin, Fuminori Kato Shinji Sato Harry H. Yeh

(George Carrier, Philip Liu, Peter Raad, Catherine Petroff, Jane Preuss, Costas Synolakis)

Schematics of the experimental setup









QuickTime[™] and a Video decompressor are needed to see this picture. -O-Scour at Back ----- Shields Parameter

Sand



⁻O-Scour at Back ----- Shields Parameter



Linear fit to the drawdown portion of the pressure at the back of the cylinder



 A measure of whether any enhanced scour at all is expected:

$$\Lambda = \frac{2}{\sqrt{\pi}} \frac{\Delta p}{\gamma_b \sqrt{c_v \Delta T}}$$

 A measure of whether enhanced scour is expected at depth d_s is given by

$$\Lambda = \frac{\Delta p}{\gamma_b d_s} \left(1 - 4i^2 \operatorname{erfc} \left[\frac{d_s}{2\sqrt{c_v \Delta T}} \right] \right)$$

The critical value of $\Lambda = 0.5$.